

DE LA RECHERCHE À L'INDUSTRIE



TRANSPORT AND ACCELERATION OF FAST ELECTRONS AS TEST PARTICLES IN A JOREK SIMULATED DISRUPTION



RUNAWAY ELECTRON MEETING 2017

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Introduction

Models and tests

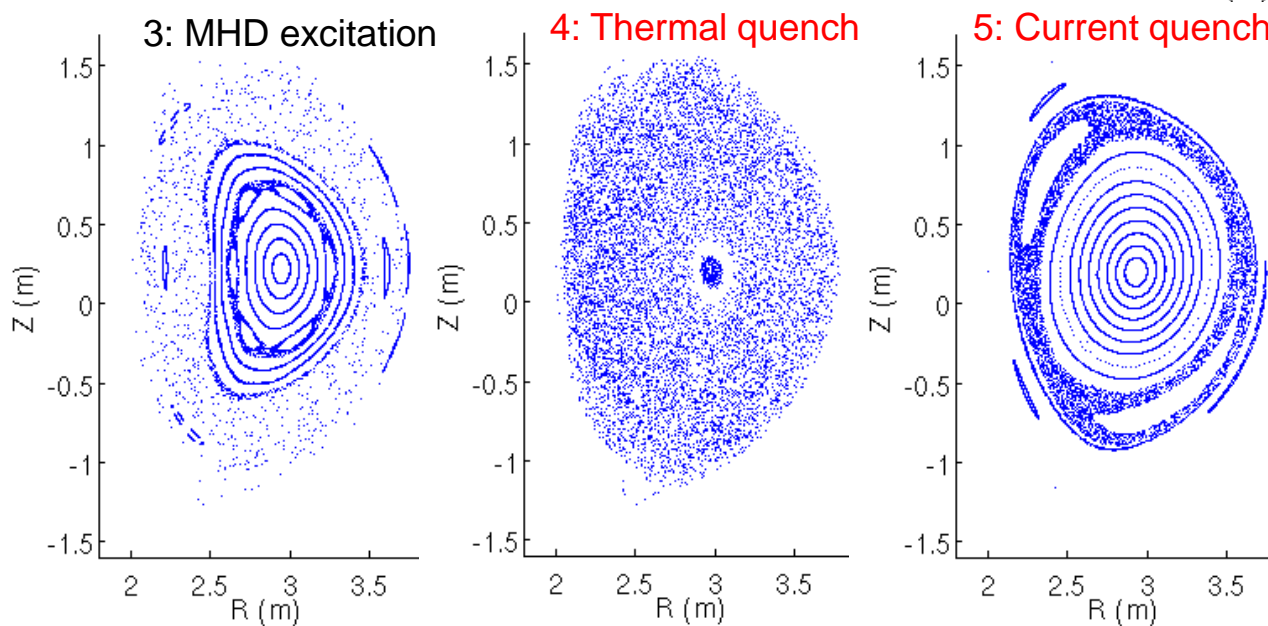
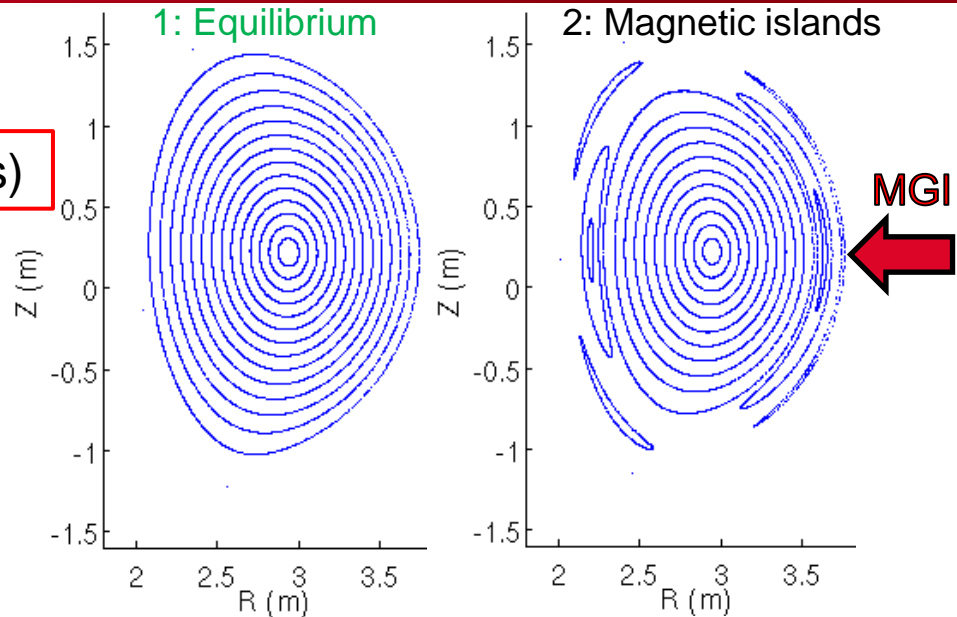
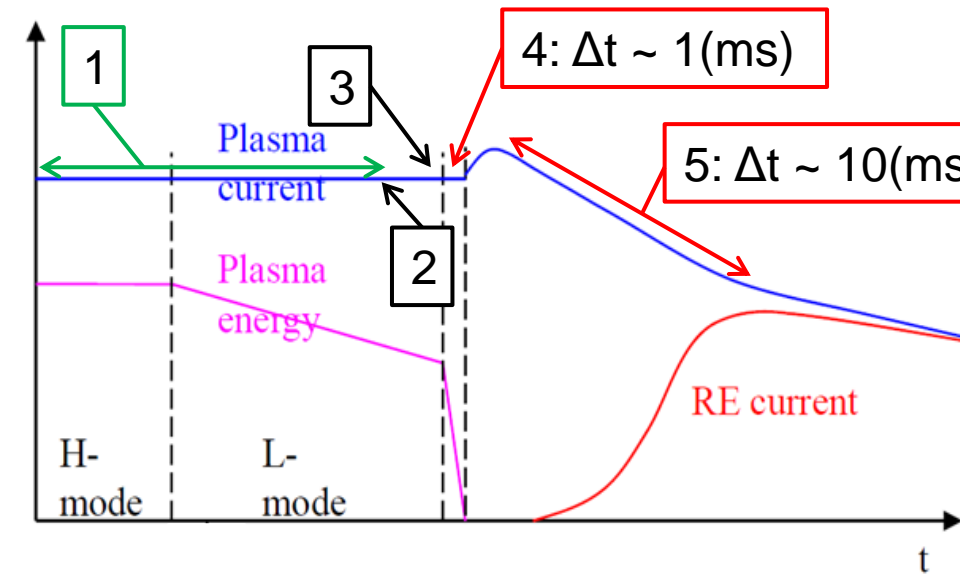
Electron transport in disruption (neglecting collisions)

RE production in disruption

Summary and future work

INTRODUCTION

DISRUPTION PHENOMENOLOGY (SIMULATION OF JET PULSE 86887)



- Current quench = decrease in plasma current \Rightarrow generation of toroidal electric field \Rightarrow electron acceleration \Rightarrow Runaways Electrons production

Context: Most of the works on REs dynamics are conducted using equilibrium magnetic fields but electron deconfinement during the Thermal Quench is a critical open question

Objective: Understand the runaway electrons dynamics in the presence of realistic disruption-like (electro)magnetic perturbations

Method: Simulate runaway trajectories in 3D disruption MHD fields obtained with JOREK (test particle approach)

Development 1: Development of the relativistic particle tracking module inside JOREK

Analysis 1: Study the transport phenomena caused by (electro)magnetic perturbations

Development 2: Add coulombian collisions between the test particles and the background plasma as drag force (no particle scattering taken into account)

Analysis 2: Study RE primary seed generation (hot tail and Dreicer mechanisms).

MODELS AND TESTS

Full Orbit (FO) particle model:

$$\frac{d\vec{x}}{dt} = \frac{\vec{p}}{m\gamma}, \quad \frac{d\vec{p}}{dt} = q \left(\vec{E} + \frac{\vec{p}}{m\gamma} \times \vec{B} \right), \quad \gamma = \sqrt{1 + \frac{\vec{p} \cdot \vec{p}}{(mc)^2}}$$

Guiding-center approach (GC) [3] : elimination of the electron gyromotion: bigger time steps with respect to full orbit simulation and smaller memory consumption

Validity conditions: electromagnetic fluctuations time and space scales are bigger than particle displacement in a gyroperiod.

$$\frac{d\vec{R}}{dt} = \frac{1}{\hat{b} \cdot \vec{B}^*} \left(q\vec{E} \times \hat{b} - p_{\parallel} \frac{\partial \hat{b}}{\partial t} \times \hat{b} + \frac{\mu \hat{b} \times \nabla B}{\gamma} + \frac{p_{\parallel} \vec{B}^*}{m\gamma} \right)$$

$$\frac{dp_{\parallel}}{dt} = \frac{\vec{B}^*}{\hat{b} \cdot \vec{B}^*} \cdot \left(q\vec{E} - p_{\parallel} \frac{\partial \hat{b}}{\partial t} - \frac{\mu \nabla B}{\gamma} \right)$$

with $\vec{B}^* \equiv p_{\parallel} \nabla \times \hat{b} + q\vec{B}$ et $\gamma \equiv \sqrt{1 + \left(\frac{p_{\parallel}}{mc}\right)^2 + \frac{2\mu B}{mc^2}}$

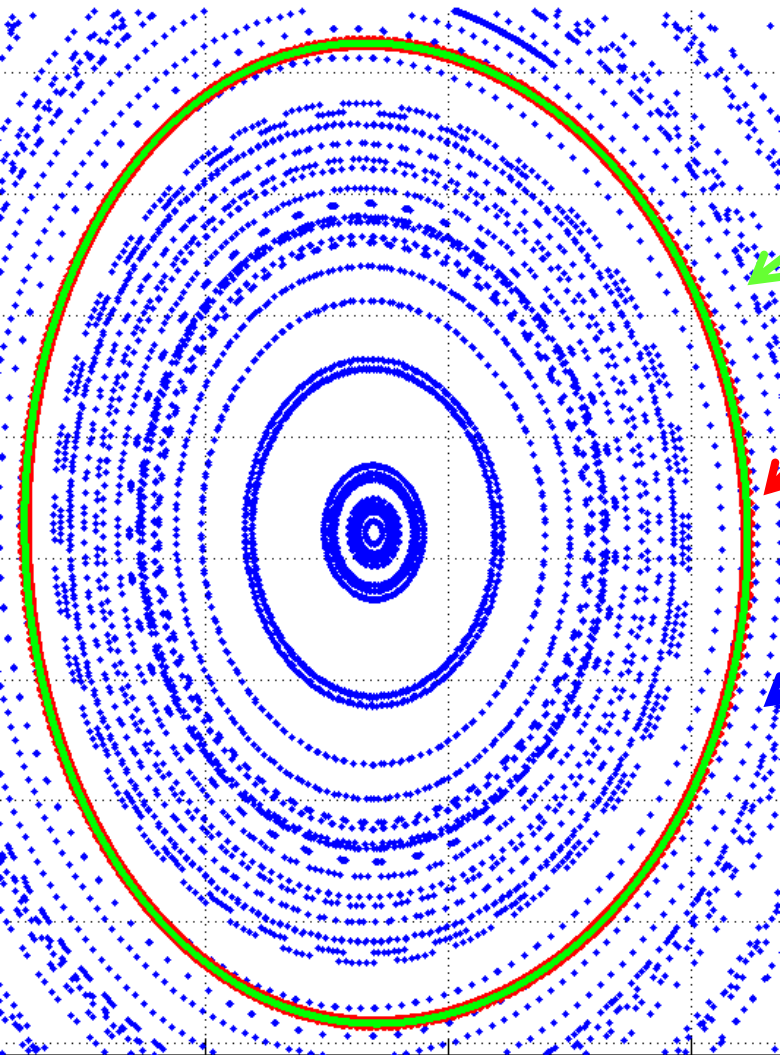
Numerical Method: Volume Preserving Scheme [4] for FO and Runge-Kutta 4(5) for GC dynamics with time-space interpolations of the MHD fields obtained by JOREK.

[3] J.R. Cary, A.J. Brizard, Rev. Mod. Phys., 2009

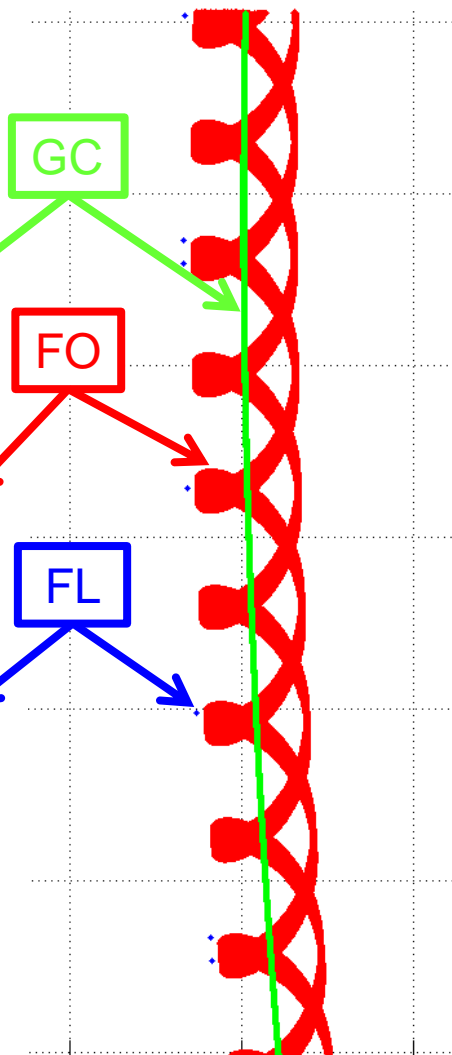
[4] R.Zhang et al., PoP, vol.22, pp.044501, 2015

TEST 1: CORE REGION PASSING PARTICLE

Poincaré plot



Poincaré plot



Test: passing particle in equilibrium axis-symmetric **JOREK** field.

Total tracking time: 1ms

Initial conditions:

- $R=3.25\text{m}$, $Z=0.21\text{m}$, $\varphi=45^\circ$
- $E=10\text{MeV}$, $\theta=170^\circ$, $\chi=0^\circ$

Δt	E error	P_φ error
0.09	9e-10 %	3e-7 %
0.009	2e-9 %	9e-9 %

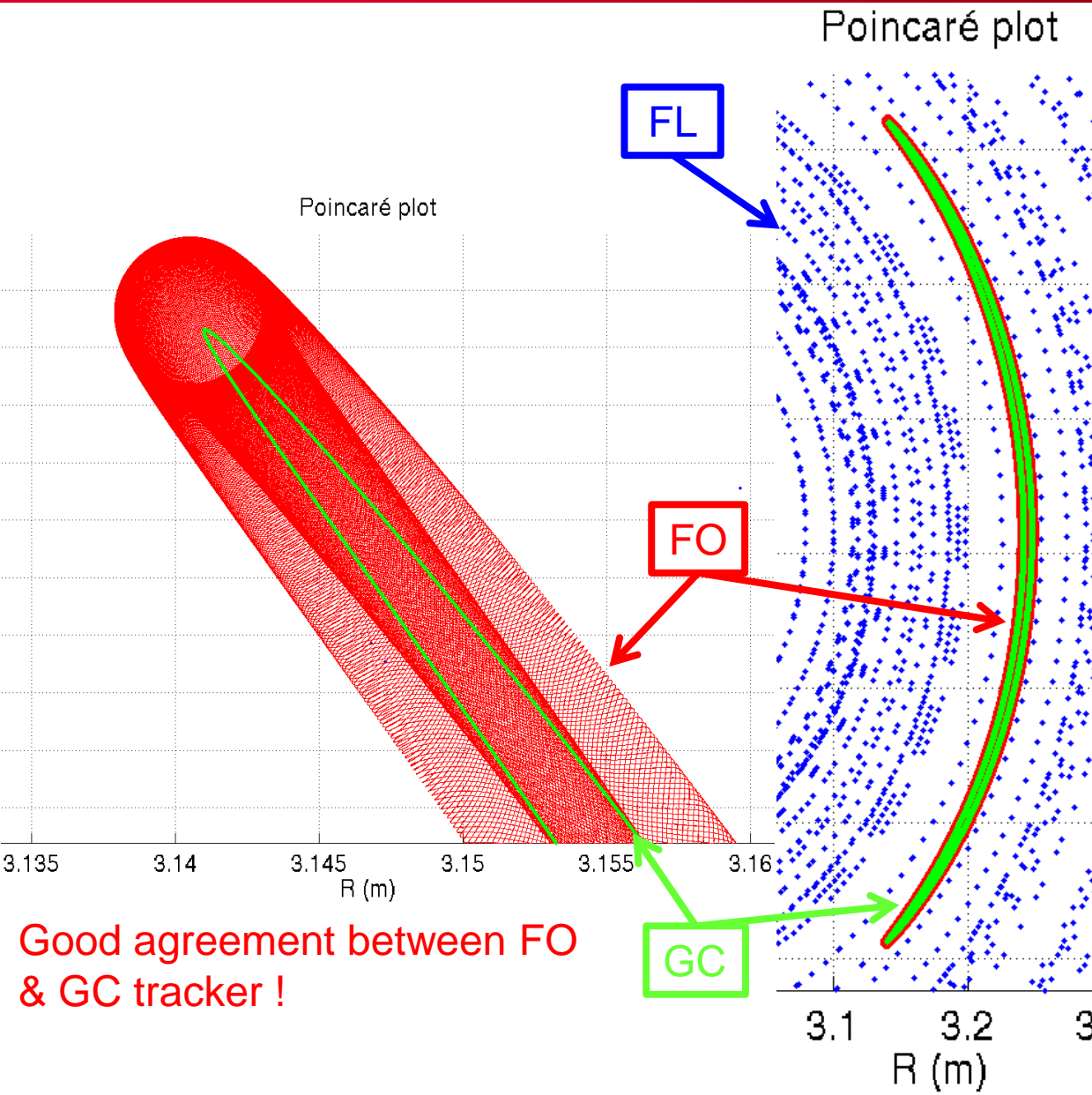
FO tracker maximum numerical error

Δt	E error	P_φ error
90.0	1e-4 %	8e-4 %
9.0	1e-4 %	8e-4 %
0.9	1e-4 %	8e-4 %
0.09	1e-4 %	8e-4 %

GC tracker maximum numerical error

2.8 3 3.2 2.64 2.65 2.66
R (m) R (m)

TEST 2: CORE REGION TRAPPED PARTICLE



Test: trapped particle in equilibrium axis-symmetric **JOEK** field.

Total tracking time: 1ms

Initial conditions:

- $R=3.25\text{m}$, $Z=0.21\text{m}$, $\varphi=45^\circ$
- $E=1\text{MeV}$, $\theta=100^\circ$, $\chi=0^\circ$

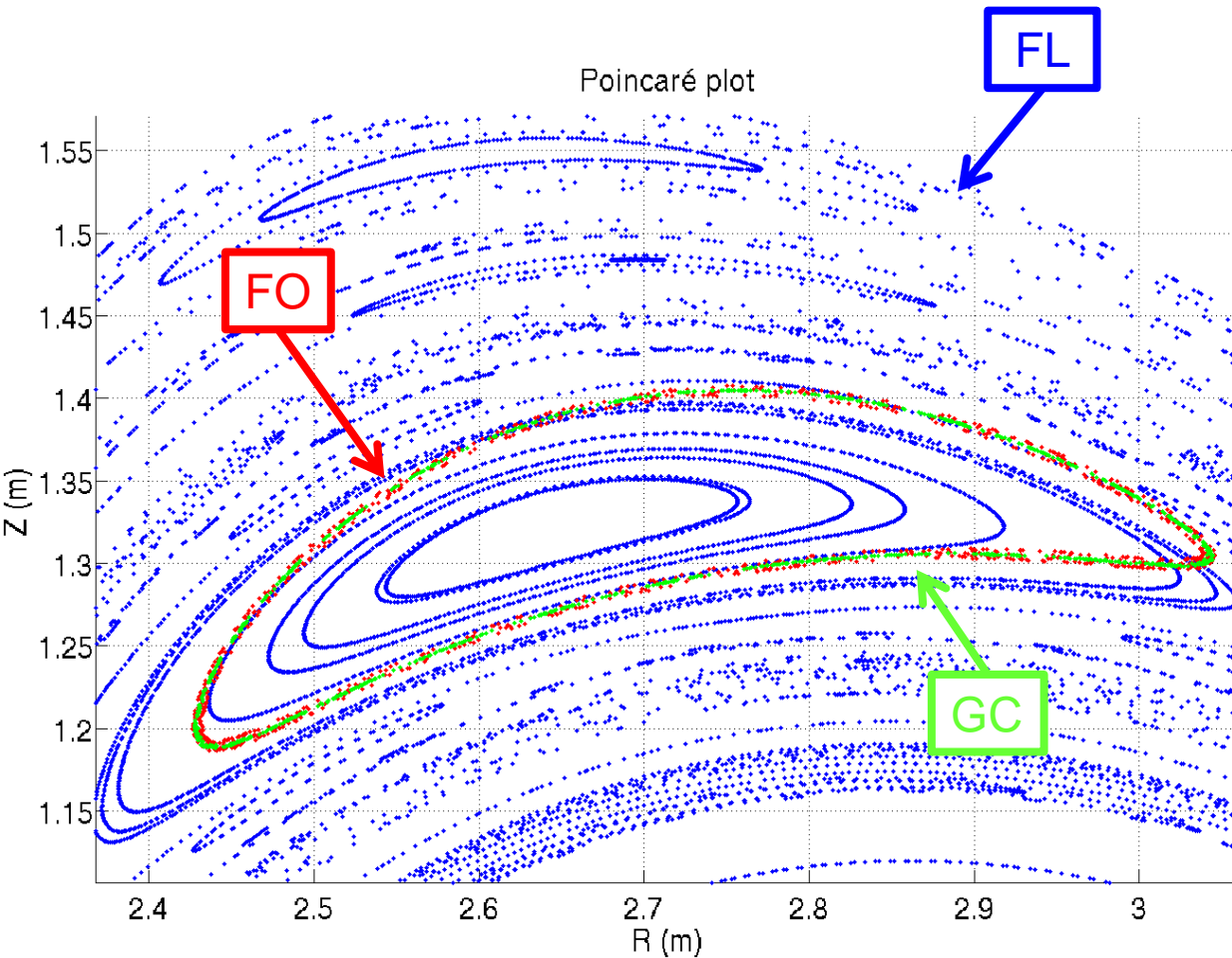
Δt	E error	P_φ error
0.09	1e-9 %	6e-6 %
0.009	1e-9 %	9e-8 %

FO tracker maximum numerical error

Δt	E error	P_φ error
90.0	2e-5 %	7e-7 %
9.0	1e-6 %	6e-7 %
0.9	1e-6 %	1e-6 %
0.09	1e-6 %	1e-5 %

GC tracker maximum numerical error

Good agreement between FO & GC tracker !



Test: passing particle in $n=1$ $m=2$ magnetic island (**from JOREK disruption simulation**)

Total tracking time: 1ms

Initial conditions:

- $R=2.98\text{m}$, $Z=1.3\text{m}$, $\varphi=45^\circ$
- $E=10\text{MeV}$, $\theta=170^\circ$, $\chi=0^\circ$

Δt	E error
0.09	1e-8 %
0.009	4e-9 %

FO tracker maximum numerical error

Δt	E error
90.0	7e-3 %
9.0	7e-3 %
0.9	7e-3 %
0.09	7e-3 %

GC tracker maximum numerical error

Good agreement between FO & GC tracker !

Collisional drag model for GC: collisions are treated as drag force acting on p_{\parallel}

- The main effect is to reduce the GC energy:

$$\frac{dp_{\parallel}}{dt} = \frac{\vec{B}^*}{\hat{b} \cdot \vec{B}^*} \cdot \left(q\vec{E} - p_{\parallel} \frac{\partial \hat{b}}{\partial t} - \frac{\mu \nabla B}{\gamma} \right) - F_{coll\parallel}$$

The drag force $F_{coll\parallel}$, [5], in JOREK takes into account fast electron collisions with background plasma (electrons+nuclei) and with molecular deuterium neutral impurities:

$$F_{coll\parallel} = - \frac{q^4}{4\pi\epsilon_0 E_{0,e}} \frac{\gamma((\gamma + 1)\alpha_e + \alpha_i)}{(\gamma - 1)^{\frac{3}{2}}} \frac{p_{\parallel}}{m_e c}$$

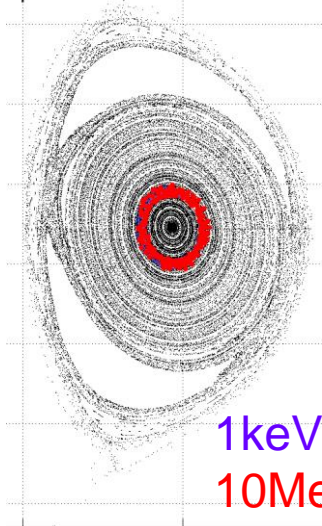
$$\alpha_e = n \ln(\Lambda_{ef}) + n_{D_2} \ln(\Lambda_{eb})$$

$$\alpha_i = n \ln(\Lambda_{if}) + n_{D_2} (Z_{nucl})^2 \ln(\Lambda_{nucl})$$

Denoting with Λ the Coulomb logarithm of different collisional mechanisms and with Z_{nucl} the neutral net nuclear charge

**ELECTRON TRANSPORT IN
DISRUPTION
(NEGLECTING COLLISIONS)**

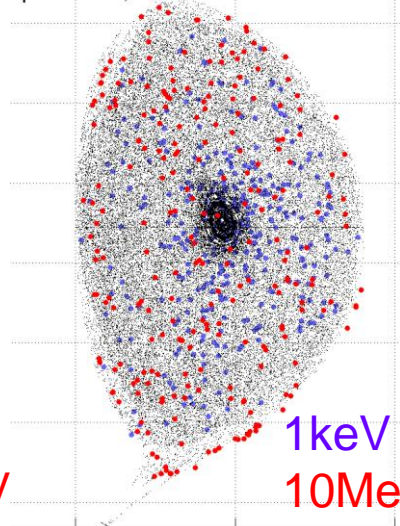
$\psi=0.05, t=0.0-0.1\text{ms}$



1keV
10MeV

2 3
R (m)

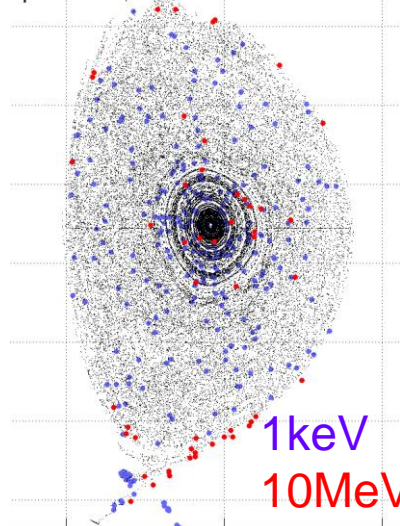
$\psi=0.05, t=0.405-0.505\text{ms}$



1keV
10MeV

2 3 4
R (m)

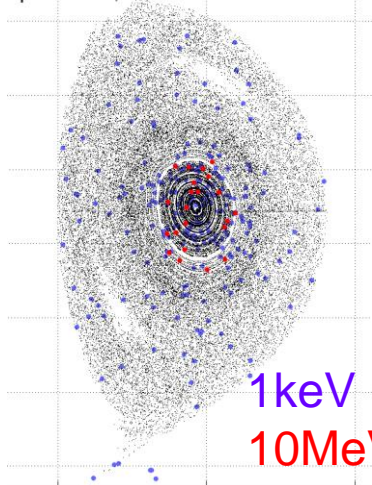
$\psi=0.05, t=0.645-0.745\text{ms}$



1keV
10MeV

2 3 4
R (m)

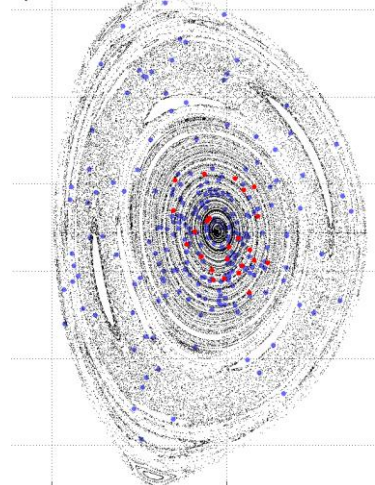
$\psi=0.05, t=1.035-1.135\text{ms}$



1keV
10MeV

2 3 4
R (m)

$\psi=0.05, t=3.255-3.355\text{ms}$



2 3
R (m)

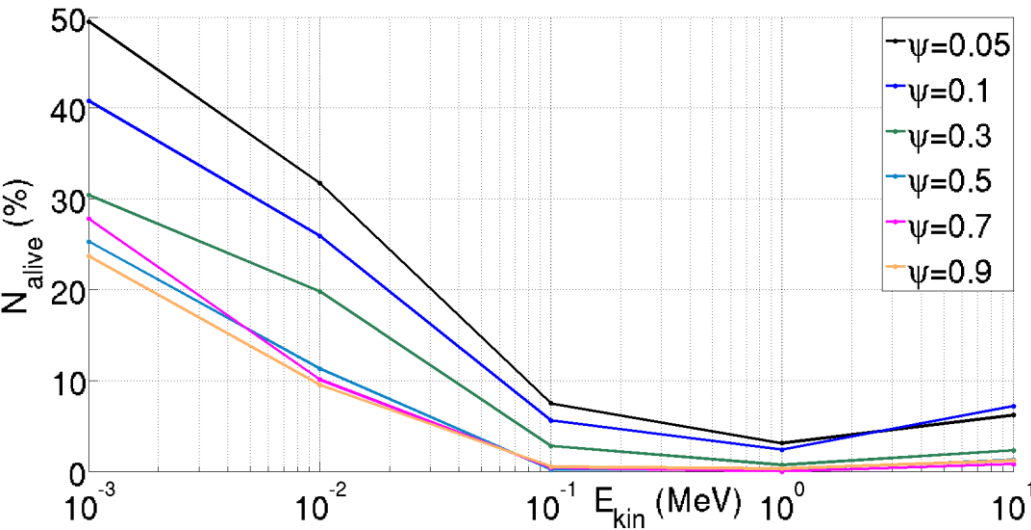
Pseudo-Poincaré:
particle within an
angular sector of $\delta\varphi$
and ΔT time interval
are plotted on the
selected Poincaré
plane:
 $\varphi=45^\circ$ $\delta\varphi=\pm 30^\circ$
 $\Delta T=0.1\text{ms}$

Particle dynamics in
disruption simulation:

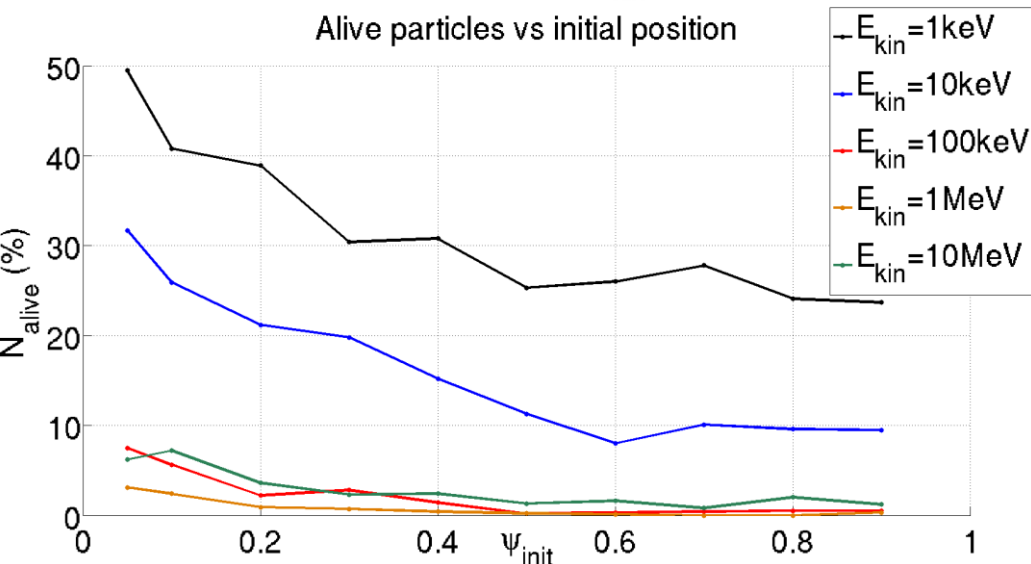
- Orbits followed from completely developed 2/1 magnetic islands to the CQ beginning
- Electric field from $d\psi/dt$ neglected => no GC acceleration before TQ
- Random initialization around $\psi=0.05$
- Initial kinetic energies: 1keV and 10MeV
- Initial $\theta=170^\circ$

→ Particles are reconfined due to reformation of closed magnetic flux surfaces during the CQ phase

Alive particles vs initial E_{kin}

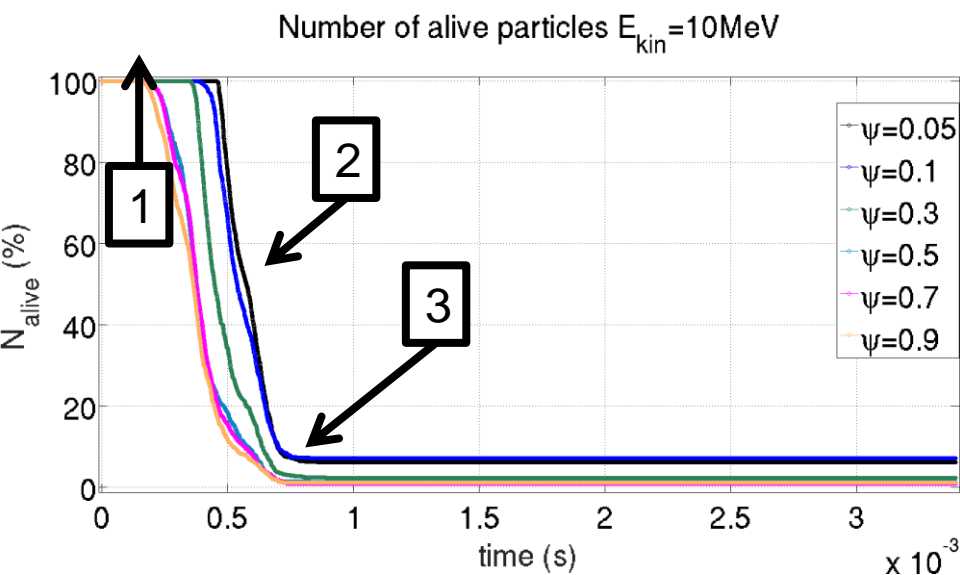
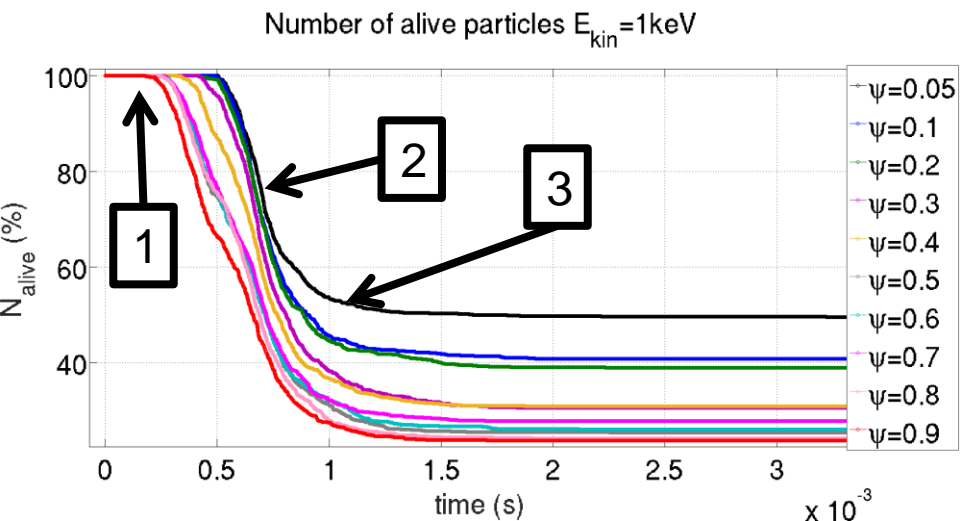


Alive particles vs initial position



Particle loss profile during a disruption:

- A fraction of the initial particle population survives the TQ in most of the cases
- General rule: The highest the particle energy the highest is the deconfinement probability => the dominant transport seems to be parallel to the field lines
- Profile slope decrease up to inversion between 1MeV and 10MeV: Orbit-averaging effect (reduced particle sensitivity to the magnetic perturbations)
- General rule: the deeper in the core the particles are the lower is their deconfinement probability.

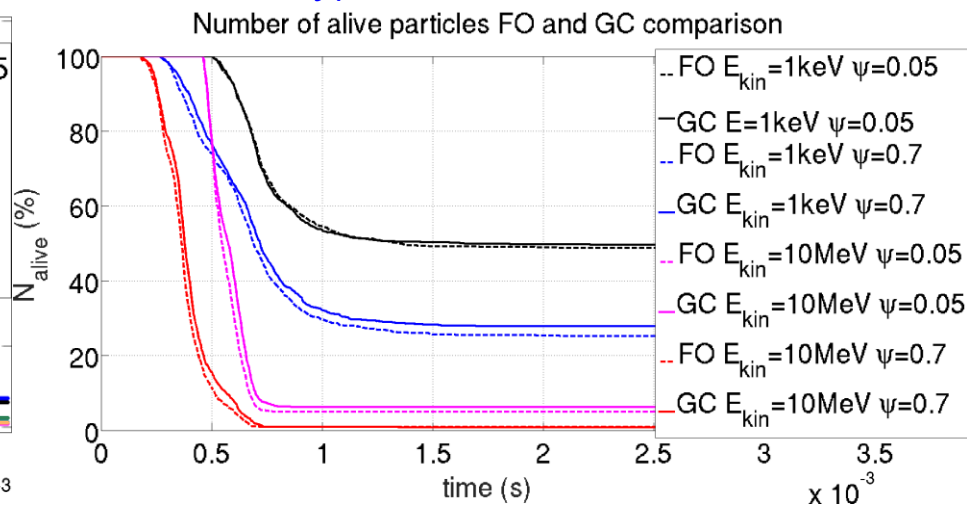


Loss profiles reveal 3 typical stages:

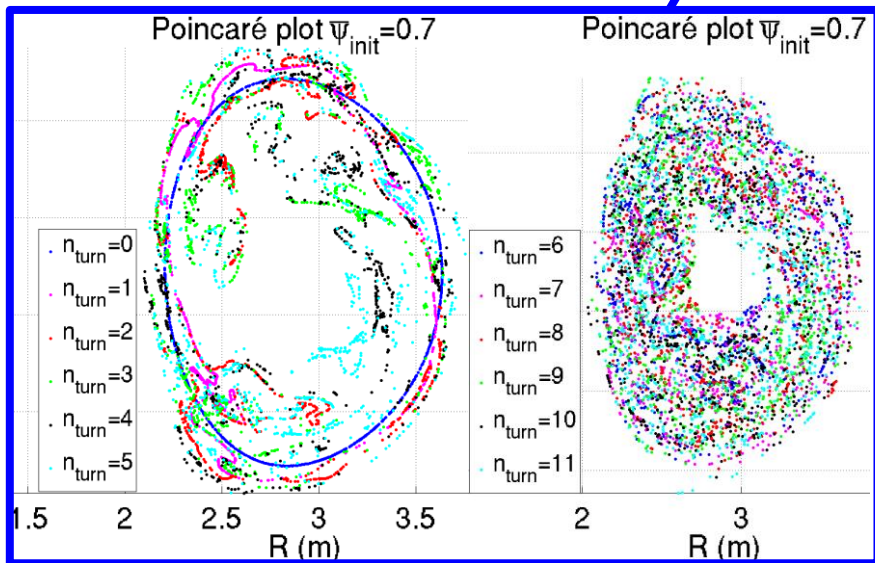
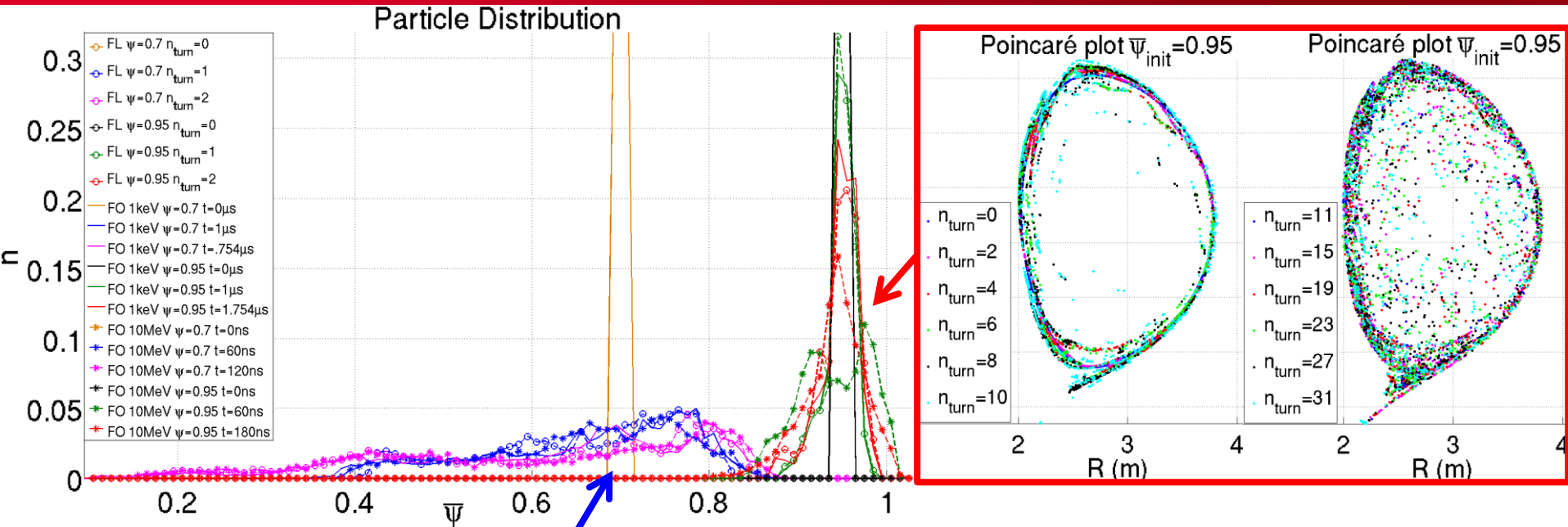
- 1) Particles diffuse and start to be lost
- 2) Electron loss (deconfinement)
- 3) Magnetic surfaces reform => losses stop => particles are reconfined

⇒ Reformation of magnetic surfaces in two steps: (1st) fast generation in the core, (2nd) later formation at the edge

⇒ Loss profiles of FO and GC are in good agreement (within statistical uncertainty)



COMPARISON BETWEEN ELECTRON AND FIELD LINE TRANSPORT DURING THE TQ

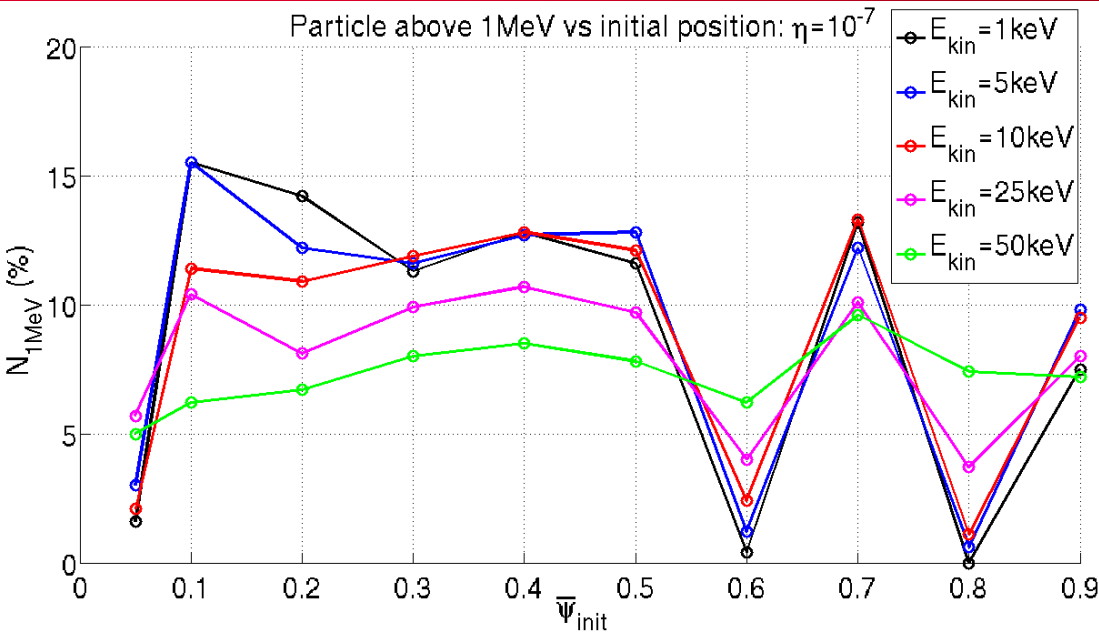


Perturbation (transport) intensity is not homogeneous:

- \Rightarrow Most of the plasma is characterized by strong transport \Rightarrow **electron propagation towards the core**
- \Rightarrow Reduced magnetic fluctuations at the edge (and core) \Rightarrow **increased confinement**

Possible bias due to boundary condition closer to the plasma than reality

RE PRODUCTION IN DISRUPTION



Electron test particle simulation during the disruption TQ:

- Full electric field is used (electric potential + magnetic flux time variation)
- Drag force due to collision is used
- Passing particles having a kinetic energy of 1keV are initialized at the TQ beginning (no persistent closed flux surfaces)

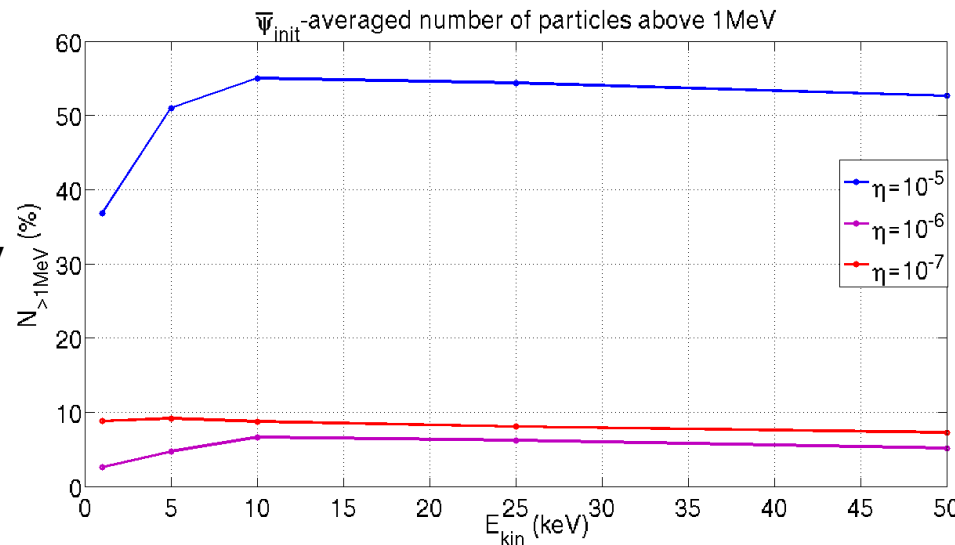
➤ Runaway electrons are generated and can reach relativistic energies

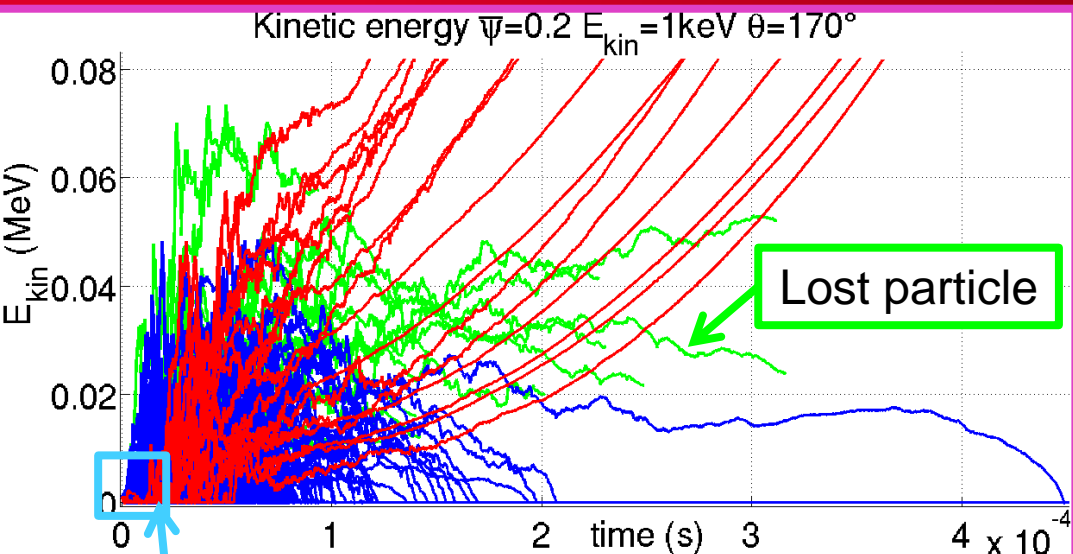
In JET pulse 86887 no RE are observed

➤ A possible explanation: too high resistivity used in JOREK simulation ($\sim 10\eta_{JET}$)

➤ test with extremely high resistivity ($\eta=10^{-5}$) shows an increase in RE production

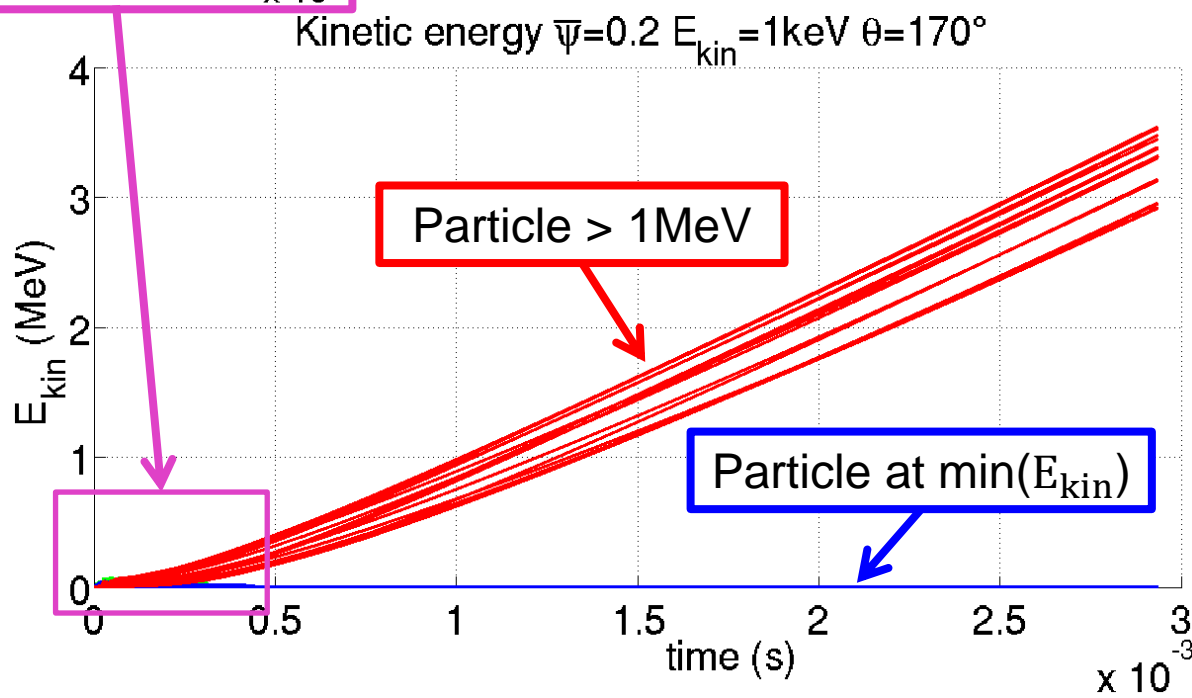
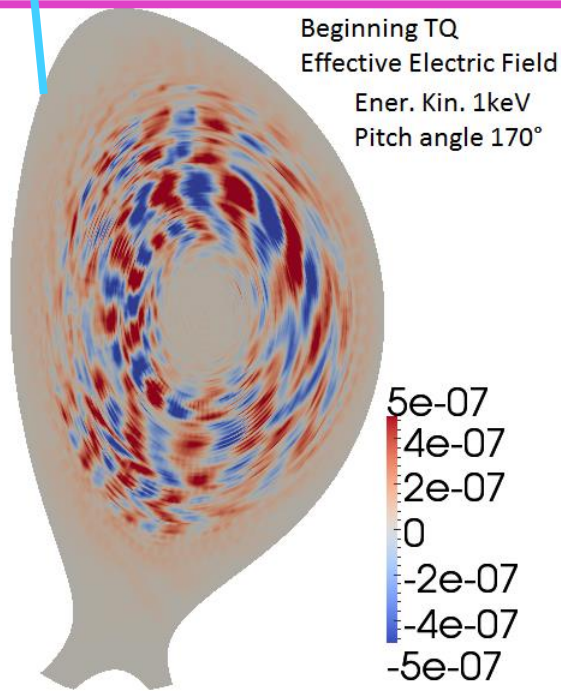
➤ Work in progress.....





1. Cells of strong effective electric field ($E_{eff} = (qE_{\parallel} + F_{coll\parallel})/|q|$) appear during the TQ
2. A fraction of particles can be accelerated up to RE conditions by driving cells
3. After surviving the TQ, they might contribute to RE seed production

→ Still work in progress



SUMMARY AND FUTURE WORK

- Transport results show that particles are diffused by electromagnetic chaoticity in the whole plasma volume. **However, when magnetic surfaces reform at the end of the TQ, they are confined again.**
- Particle distribution simulations highlight a reduction of particle transport at the plasma core and edge regions which **might improve the confinement of fast electrons** (to be confirmed by simulations using realistic walls)
- Preliminary results with full electric field and collisional drag force exhibit **generation of RE populations during the TQ phase**
- The mechanism underneath the production of RE is likely to be related to **strong electric perturbations taking place during the disruption TQ phase.** These perturbations can accelerate electrons up to high enough energies for becoming RE during the CQ phase
- Simulation are not consistent with JET pulse 86887 experiment where no RE are seen: **this is possibly due to the high plasma resistivity used in these simulations (underway).**

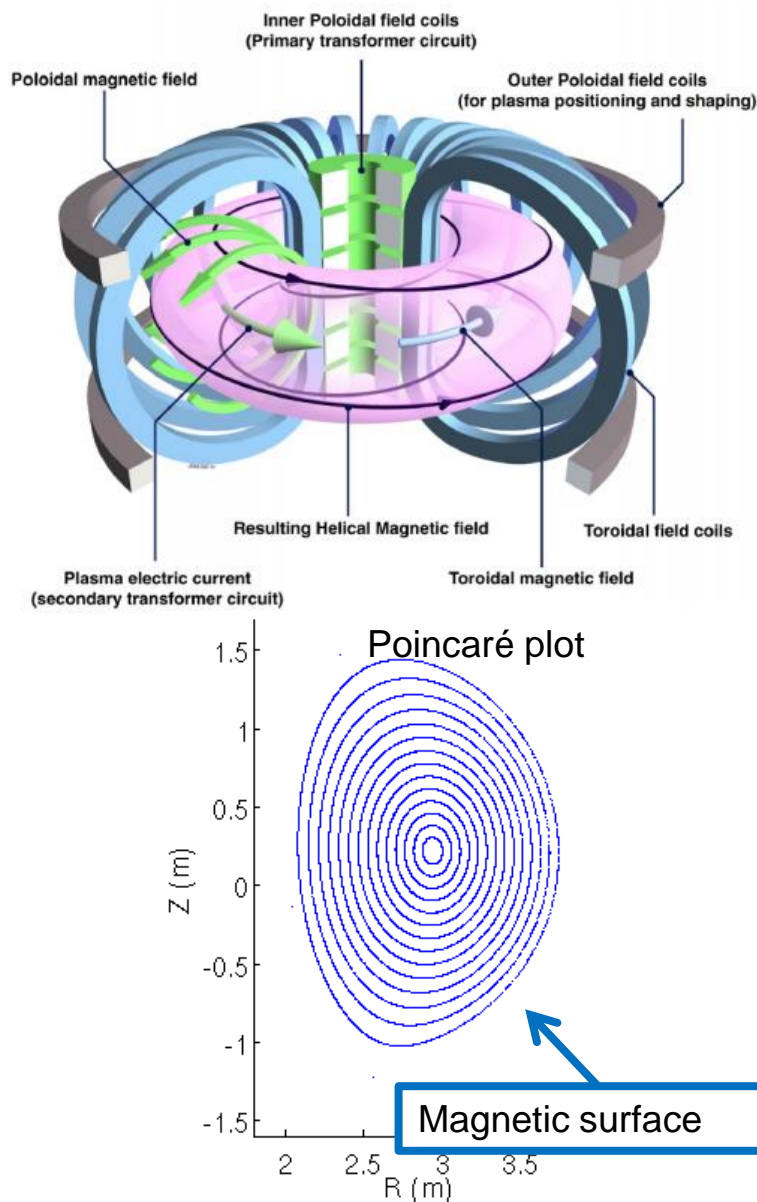
- Finer characterization of RE generation in disruptive magnetic fields
- Continue the scan in plasma resistivity for assessing its role in RE generation mechanism (underway)
- Try to obtain JET disruption simulations at realistic plasma resistivity
- Try to obtain JET disruption simulations using realistic resistive wall (JOREK-STARWALL)
- Implementation of an improved **guiding center collisional operator** taking into account collisional scattering
- Study RE/disruption dynamics in other JOREK simulations
 - Disclaimer: The present work is based on only a few JOREK D₂ MGI-triggered disruptions which are not quantitatively validated
 - JET SPI-triggered disruptions simulations are underway (by Di Hu at ITER)
 - JET non-D₂ MGI-triggered disruption simulations are planned
 - Implementation of fluid model for RE studies during CQ and plateau phases (V. K. Bandaru at IPP Garching)

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DRF
IRFM
STEP
GPAM

- Tokamak: reactor using a toroidal magnetic field in order to confine a hot plasma
- The confinement is achievable within a stability domain
- Overcoming the stability limits \Rightarrow disruption: fast plasma shutdown due to loss of confinement which can damage the machine
- Disruption mitigation: induce a lower intensity (safer) disruption using for example massive gas injection (MGI)
- This work is within the international disruption simulation framework based on the non-linear magnetohydrodynamic code JOREK



Expected RE characteristics in ITER:

- Current: 10MA[1]
- Kinetic energy: 20MJ[2]

Dangerous operations if the current of REs >2 MA[2]:

- CFP melting
- Risk of PFCs perforation causing a cooling fluid leakage in the vacuum chamber (happened in Tore Supra)

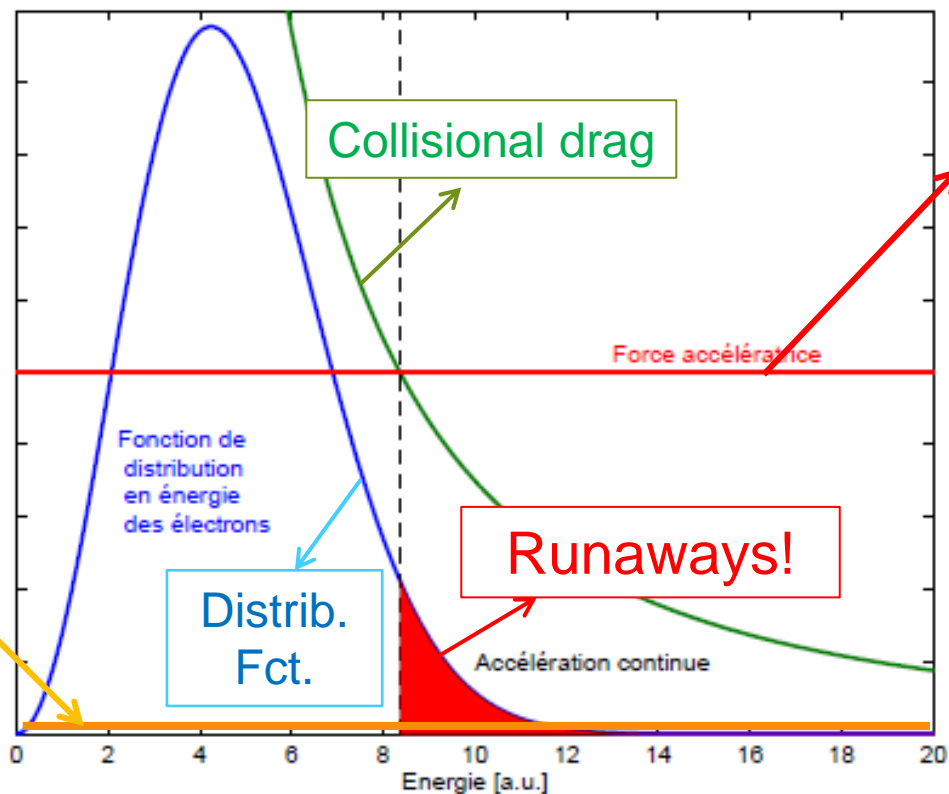


[1] M.Lehnen , J. of Nucl. Mat., 2014

[2] M.Sugihara, ITR/P1-14,2012

Runaway electrons (RE): electrons above the energy threshold at which the electric field force is stronger than the collisional drag

Normal operations: small electric field
↓
No runaway electrons generation



Disruptions: high electric field
↓
Generation of runaway electrons